

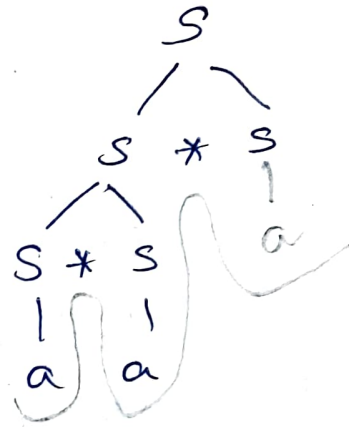
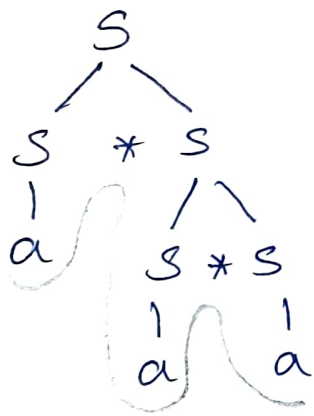
# Ambiguity LL(k) grammars:

→ If two or more left derivation trees are possible is called ambiguity.

→ One or more than one tree can be generated for the same string.

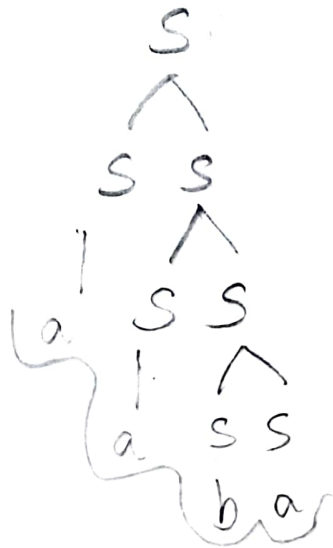
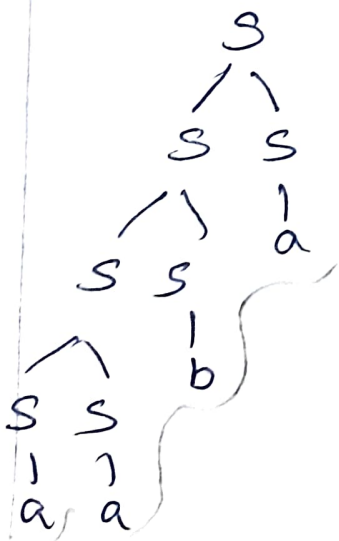
Ex 1: If  $G$  is the Grammar,  $S \rightarrow S+S/S*S/a$   
 show that  $G$  is ambiguous with the string

$$w = a * a * a.$$



Ex 2: P:  $S \rightarrow SS|a|b$ .

$$w = aaba.$$



aaba.

LL parser:

→ It accepts (L) grammar. It is denoted as LL(K).

→ The first L → represents the LP from left to right.

→ The second L → represents the left most derivation.

→ K represents the no. of look a heads (How many time you trag the list. generally  $k=1$ )

$$\therefore LL(K) = LL(1).$$

→ A grammar G is LL(1), if there are two distinct production.

$$A \rightarrow (\alpha/\beta)$$

condition:

- ① For no terminal  $\alpha \neq \beta$  derive string beginning with  $\alpha$ .
- ② At most one of  $\alpha$  &  $\beta$  can derive empty string.
- ③ If  $B \rightarrow \epsilon$ , then 'a' does not derive any string beginning with a terminal in Follow(A).

→ LL(1) use data structure are,

↳ i/p buffer

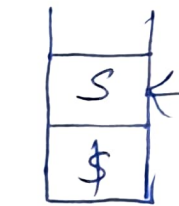
↳ stack

↳ parsing table.

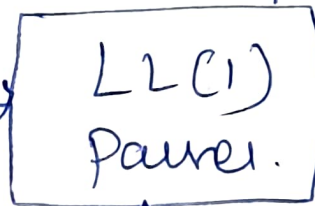
Structure of LL(1):

i/p buffer

a | + | b | \$



Stack.



dp.

a + b \$ ⇒ Terminal.

non Terminal  $\in$

A				
B				
C				

Parsing Table.

Construction of