



ELECTROMAGNETIC FIELDS AND WAVES



Coulomb's Experimental Law



French physicist **Charles-Augustin de Coulomb** experimentally verified the inverse square law of electrostatic force using a **torsion balance** in 1785.

His experiment established that the force between two charges depends on their magnitudes and the distance between them.



Coulomb's Experimental Law



Coulomb's Experiment:

•Apparatus Used: Torsion Balance

- A horizontal bar suspended by a thin wire with small charged spheres at its ends.
- When charges are brought close, they repel/attract, twisting the wire.
- The angle of twist measures the force.



1. Force (F) is directly proportional to the product of charges

$$F \propto q_1 q_2$$

2. Force (F) is inversely proportional to the square of the distance between them

$$F \propto \frac{1}{r^2}$$

3. Combining both, Coulomb's Law is formulated as:

$$F = k \frac{q_1 q_2}{r^2}$$

where k is Coulomb's constant:

$$k = \frac{1}{4\pi\epsilon_0} \approx 9 \times 10^9 \text{ N}\cdot\text{m}^2/\text{C}^2$$

- ϵ_0 (Permittivity of free space) = $8.854 \times 10^{-12} \text{ F/m}$



The **electric field intensity** at a point is defined as the **force per unit charge** experienced by a small test charge placed at that point.

$$E = \frac{F}{q}$$

Electric Field Due to a Point Charge

$$E = \frac{1}{4\pi\epsilon_0} \frac{q}{r^2}$$

where:

- $E \rightarrow$ Electric field intensity (V/m)
- $q \rightarrow$ Source charge (C)
- $r \rightarrow$ Distance from the charge (m)

Electric Field Due to Multiple Charges – Superposition Principle

For multiple charges $q_1, q_2, \dots, q_n$, the total electric field at a point is the vector sum:

$$\mathbf{E} = \sum \mathbf{E}_i$$

where each $\mathbf{E}_i$ is the electric field due to individual charges.



Properties of the Electric Field



- A vector quantity.
- Direction is **radially outward** for **positive** charges and **radially inward** for **negative** charges.
- **Decreases with distance** ($1/r^2$)
- Measured in **volts per meter (V/m)**.



*Thank
you*

