



COURSE NAME: ANALYSIS OF ALGORITHM II YEAR/ IV SEMESTER UNIT – III

GREEDY TECHNIQUE

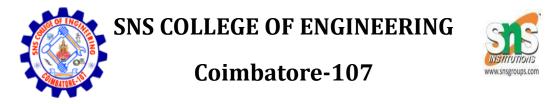
Topic

Greedy Technique: Kruskal's algorithm





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	Kniskal's Algorithm MST.
	t had Algominin
Acres	to find MSTE in Proceeding Sort all edges in Proceeding
- O	Sort all edges un
	Sort all edges order by weight. Pick Smallest edge. check any
Q.	Pick Smallest edge. men
	cycles are formed
(3),	If cycle is formed, Discand that
Q.	If cycle is not promed, where the
a	edge in MSI.
 	cycles are formed. If cycle is formed, piccard it. If cycle is not formed, include then edge in MST. Repeat centil (n-1) edges are formed.
	formed.
	(161) =



classmeth gample ? Data Page A 4 2 B method) Kruskal MS their weight the Sor by edges Ascendo order × -... 19 2 B C × C 3 - D 0 A A C 4 X 5 that edges MST to forms No Step 2: Ad ele estices 3 Edges eda ne 05 3 clo a me 8+ Steps: 3 26 1. weigh the Add MST the for



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Graph G': Verstices A, B, C, D, E Graph G': Verstices A, B, C, D, E Edges E: A-B (1) (A-B ; 2) (ii) (B-C, 1) (iv) (B-C, 1) (iv) (B-E, S) (v) (B-C, S) (v) (B-C, S) (v) (B-C, S) (v) (C-D, S) (v) (C-D, S) (v) (C-D, S) (v) (C-D, S) (v) (B-E, S)	11	Eseample 2	
$= \underbrace{\operatorname{Codges}_{(1)} (A - B ; 2)}_{(1)} (A - C ; 3) (1)} (A - C ; 3) (1)$ $= \underbrace{\operatorname{Codges}_{(1)} (B - C ; 1)}_{(1)} (1) (B - E ; 5) (1) (1) (B - E ; 5) (1) (1) (1) (1) (1) (1) (1) (1) (1) (1$	~	Promis G' Vertices A, B, - 1D, Prope	
(i)(A - C, 3) $(i)(B - C, 1)$ $(iv)(C - P, 4)$ $(v)(D - E, 5)$ $(v)(B - E - 5)$ $(v)(B -$	=	Edges E: A-B	0
$\frac{1}{100} \frac{1}{100} \frac{1}$	-		1
(iv) (e-p, 4) (v) (b-E, 5) (vi) (b-E, 5) Stept: Form the Graph. 2 3 (b) 1 (c) 1		Cii)CA - C, 3)	í.
(V) (D-E, 5) (V) (B-E, 5) Step : Form the Graph. 2 2 2 3 (D) 1 (D) 1 (Nij 6-C-, 1)	R
(V) (D-E, 5) (V) (B-E, 5) Step : Form the Graph. 2 2 2 3 (D) 1 (D) 1 ((iv)(e,p,4)	
(V) (B-E3b) Stepte Form the Graph".	-	(V)(D-E,5)	ñ
Stept: Form the Graph. 2 3 B 2 3 B 2 3 C 3 C 5 Step2: Add Edges to MST One by one, that forms No cycle in Ascendinged. (i) B-C e (ii) A-B e 2 (iii) A-C e 3 (iv) C-D e 4 (v) D-E e 5 (vi) B-E e (vi) B-E		(V)(B-E-b)	0
P 2 2 2 2 2 2 2 2 2 2 2 2 2	- Step	1: Form the Graph.	L
B 1 C b 1 C b 1 C b 1 C b 1 C b 1 C c 1 C c 1 C c 1 C c 1 C c 1 C c 2 C c 1 C c 2 C c 1 C c 2 C c		(\mathbf{A})	
E D Step2: Add Edges to MST One by one, that tooms No cycle in Ascendinged (i) B-C ? 1 (ii) A-B ? 2 (iii) A-C ? 3 (iv) C-D ? 4 (v) D-E ? 5 (v) B-E ? 6 Step 3: Add Edges to MST Out his out	li tàp	2 3	F
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$(i) A - B \leq 2$ $(ii) A - B \leq 2$ $(iii) A - C \geq 3$ $(iv) C - D \leq 4$ $(v) D - E \leq 5$ $(vi) B - E \leq 6$ $Step 3: Add Edges to MST Out his own$		that lages is mist one by one,	
(N) A-B & 2 (N) A-C & 3 (N) A-C & 3 (N) C-D & 4 (N) D-E & 5 (N) B-E & 6 Step 3: Add Edges to MST Out by DN		(i) R Sime NO Cycle. In Ascendingered	
(III) A-C: 3 (IV) C-D: 4 (V) D-E: 5 (V) D-E: 5 (V) B-E: 6 C Step 3: Add Edges to MST Out by OWE			
(iv) C-D & A (v) D-E & S (vi) B-E & b Step 3: Add Edges to MST Out his out	-		D
(V) D-E: 5 (Vi) B-E: 6 Step 3: Add Edges to MST Out his out		ATC - S	C
(vi) B-E: 6 Step 3: Add Edges to MST Out his out		(V) C-D = 4	
Step 3: Add Edges to MST Out his out		VD-ES 5	,
Step 3: Add Edges to MST Out his out		(VI) B-ES 6	1
Step 3: Add Edges to MST One by one that forms no cycle.			
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mat forms no cycle.		the of the most one by one	-
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SNS COLLEGE OF ENGINEERING Coimbatore-107 www.snsgroups.com Algo sithm à Algorithm transkal () // poroblem pescription: Find MST 11 Input: Graph total its MST cort with 1 output: D Count K = 0 Sumt O totnodes) 60 Ri20 for Parent to trodes - 1) do while Count min Cost eda minimum (totedges); Find 17 (POS = = broak Posl. VI V2 Pos pasent) ind Find parsent) 142 ther Treo 11 stores Spanning v, noo edges of in treel V2 tre R++ count ++ compu tobal GEPOSJ. Cost Sum nem air lostance

SNS COLLEGE OF ENGINEERING Coimbatore-107 www.snsgroups.co "randating tobal cost of "rand", j, parant) VOSTi (poj . cost INFINITY count = tot nodes - 1) then to tothoday - 1) the Will (tree [i][o], tree [i][i]) write ("cost of spanning Tree", sum) sorting , Edges: O (F log E) times operations: O(E log V) times Pon - Pfnd 3. Final, complexity OCE O(E' Log E) + E log V) = E dominates E Best case: Avesage OCE log E Case Norst (Occurs When sorting is dominat OCE log V) Complexity; Space t. Store E edges O(E) v vertices → 2. Store 0 8. MST stones V-1 edges -> o(v) space complexity = [O(V+E) Total