UNIT V - GRAPH ADT - QUESTION BANK

Part A – 2 Marks Questions

- 1. Define Graph ADT.
- 2. What are the different ways to represent a graph?
- 3. Define adjacency matrix and adjacency list.
- 4. What is a Directed Acyclic Graph (DAG)?
- 5. Define topological sorting.
- 6. What is the difference between DFS and BFS?
- 7. Mention the applications of graph traversal.
- 8. What is a minimum spanning tree?
- 9. Define dynamic programming.
- 10. State Dijkstra's algorithm in brief.
- 11. Define greedy algorithm with an example.
- 12. What is the time complexity of Prim's algorithm?
- 13. Define NP and NP-complete problems.
- 14. What is the significance of the P vs NP problem?
- 15. Mention two limitations of algorithmic power.

Part B – 13 Marks Questions

- 1. Explain the adjacency matrix and adjacency list representations of a graph with examples.
- 2. Write and explain DFS and BFS traversal algorithms with suitable examples.
- 3. What is a DAG? Explain its properties and applications.
- 4. Describe the algorithm for topological sorting with a suitable example.
- 5. Explain Dijkstra's algorithm for finding the shortest path. Illustrate with a graph.
- 6. Describe the Bellman-Ford algorithm and compare it with Dijkstra's algorithm.
- 7. Explain Kruskal's and Prim's algorithms for finding MST. Compare their performance.
- 8. Discuss the characteristics and applications of greedy algorithms.
- 9. Explain the difference between greedy and dynamic programming approaches.
- 10. Describe the classes P, NP, and NP-complete. Give examples.
- 11. Analyze why certain problems are considered intractable. Give examples.
- 12. Solve a shortest path problem using dynamic programming approach.
- 13. Illustrate a minimum spanning tree construction using Prim's algorithm step-by-step.

Part C – 15 Marks Case Study-Based Questions

1. Case Study – Traffic Navigation System:

A smart city uses sensors and graphs to monitor traffic and suggest fastest routes. Model this using graph representations and implement shortest path algorithm. Compare Dijkstra and Bellman-Ford results.

2. Case Study – Course Prerequisite Scheduling:

A university course system must schedule subjects based on prerequisites. Represent this as a DAG and perform topological sorting to find valid subject orders.

- 3. Case Study Network Cabling Optimization: An IT park needs to lay cables to connect all buildings with minimum cost. Formulate the problem using MST and solve using Kruskal's algorithm.
- Case Study Logistics Optimization Using Graphs: A delivery company needs to find the most efficient delivery routes. Use dynamic programming for shortest paths and greedy algorithms for cost efficiency.
- Case Study NP-Complete Problem Detection in Project Scheduling: A complex project plan has dependencies making scheduling difficult. Explain how this relates to NP-completeness and what approximate or heuristic methods can be used.

6. Case Study – Resource Allocation in Distributed Systems:

Resources must be assigned to multiple dependent jobs with constraints. Model using graphs and analyze using topological sort and shortest path techniques.